





# **Robust Information Retrieval**

WSDM 2025 tutorial

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https://wsdm2025-robust-information-retrieval.github.io/

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# Section 2:

**Preliminaries** 



## Information retrieval task

### Given:

- A query q,
- A document *d* from corpus *D*.

#### Information retrieval task

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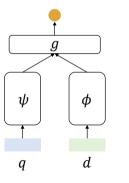
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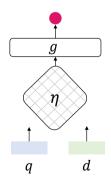
The goal of an IR system is to employ the ranking function f to generate a score f(q, d) for any query-document pair (q, d), reflecting the relevance degree between them, and produce a relevance permutation  $\pi_f(q, D)$  according to the predicted score:

$$f(q,d) = g(\psi(q),\phi(d),\eta(q,d)),$$

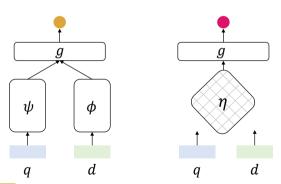
where  $\psi$ ,  $\phi$ , and  $\eta$  return representations of q, d, and a relevance score







$$f(q,d) = g\left(\psi(q),\phi(d),\eta(q,d)\right)$$



Dense retrieval model

efficiently recalls document candidates with dual-encoder Neural ranking model effectively generates the final ranked list with cross-encoder

### Evaluation of IR model

In IR, we mainly focus on the top-K ranking result. Given:

- A metric *M* focus on the top-*K* ranking results, e.g., NDCG@*K* and MRR@*K*;
- A test dataset  $\mathcal{D}_{\mathrm{test}}$  with ground truth Y;

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The ranking performance  $\mathcal{R}_M$  of the IR model is usually evaluated by

$$\mathcal{R}_{M}\left(f; \mathcal{D}_{ ext{test}}, K
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M includes a mapping function h related to ranking and an indicator function  $\mathbb{I}\{\cdot\}$ :

$$M(f;(q,D,Y),K) = \sum_{(d,y_d)\in(D,Y)} y_d \cdot h(\pi_f(q,d)) \cdot \mathbb{I}\left\{\pi_f(q,d) \leq K\right\}.$$

#### Robustness in IR: Definition

# **Definition (Top-***K* robustness in information retrieval)

Let  $\delta \geq 0$  denote an acceptable error threshold. Given an IR model  $f_{\mathcal{D}_{train}}$  trained on training dataset  $\mathcal{D}_{train}$  with a corresponding testing dataset  $\mathcal{D}_{test}$ , an unseen test dataset  $\mathcal{D}_{test}^*$ , for the top-K ranking result, if

$$\left|\mathcal{R}_{\textit{M}}\left(\textit{f}_{\mathcal{D}_{\text{train}}};\mathcal{D}_{\text{test}},\textit{K}\right) - \mathcal{R}_{\textit{M}}\left(\textit{f}_{\mathcal{D}_{\text{train}}};\mathcal{D}_{\text{test}}^{*},\textit{K}\right)\right| \leq \delta,$$

we consider the model  $f_{\mathcal{D}_{\text{train}}}$  to be Top-K-robust for metric M.

## Adversarial robustness in IR: Definition

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# Definition (Adversarial robustness in information retrieval)

Given an IR model  $f_{\mathcal{D}_{\mathrm{train}}}$  trained on training dataset  $\mathcal{D}_{\mathrm{train}}$  with a corresponding testing dataset  $\mathcal{D}_{\mathrm{test}}$ , a new document set  $D_{\mathrm{adv}}$  containing adversarial examples, and an acceptable error threshold  $\delta$ , for the top-K ranking result, if

$$\left|\mathcal{R}_{\mathcal{M}}\left(\mathit{f}_{\mathcal{D}_{\mathrm{train}}};\mathcal{D}_{\mathrm{test}},\mathcal{K}\right) - \mathcal{R}_{\mathcal{M}}\left(\mathit{f}_{\mathcal{D}_{\mathrm{train}}};\mathcal{D}_{\mathrm{test}}',\mathcal{K}\right)\right| \leq \delta \text{ such that } \mathcal{D}_{\mathrm{test}}' \leftarrow \mathcal{D}_{\mathrm{test}} \cup \mathcal{D}_{\mathrm{adv}},$$

where  $\mathcal{D}_{\mathrm{test}} \cup D_{\mathrm{adv}}$  denotes injecting the set of all generated adversarial examples  $D_{\mathrm{adv}}$  into the original test dataset, and then model f is considered  $\delta$ -robust against adversarial examples for metric M.

# Out-of-distribution robustness: Definition

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# Definition (Out-of-distribution robustness of information retrieval)

Given an IR model  $f_{\mathcal{D}_{train}}$ , an original dataset with training and test data,  $\mathcal{D}_{train}$  and  $\mathcal{D}_{test}$ , drawn from the original distribution  $\mathcal{G}$ , along with a new test dataset  $\tilde{\mathcal{D}}_{test}$  drawn from the new distribution  $\tilde{\mathcal{G}}$ , and an acceptable error threshold  $\delta$ , for the top- $\mathcal{K}$  ranking result, if

$$\left|\mathcal{R}_{\textit{M}}\left(\textit{f}_{\mathcal{D}_{\text{train}}}; \mathcal{D}_{\text{test}}, \textit{K}\right) - \mathcal{R}_{\textit{M}}\left(\textit{f}_{\mathcal{D}_{\text{train}}}; \tilde{\mathcal{D}}_{\text{test}}, \textit{K}\right)\right| \leq \delta \text{ where } \mathcal{D}_{\text{train}}, \mathcal{D}_{\text{test}} \sim \mathcal{G}, \tilde{\mathcal{D}}_{\text{test}} \sim \tilde{\mathcal{G}},$$

the model f is considered  $\delta$ -robust against out-of-distribution data for metric M.

### Performance variance: Definition

A robust neural IR model should not only have good performance over the entire query set, but also ensure that the performance on individual queries is not too bad.

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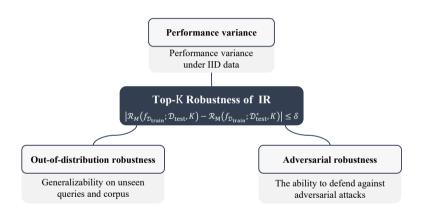
A robust neural IR model should not only have good performance over the entire query set, but also ensure that the performance on individual queries is not too bad.

# Definition (Performance variance of information retrieval)

Given an IR model  $f_{\mathcal{D}_{train}}$  trained on training dataset  $\mathcal{D}_{train}$  with a corresponding testing dataset  $\mathcal{D}_{test}$ , and an acceptable error threshold  $\delta$ , for the top-K ranking result, if

$$\mathsf{Var}\left(\left\{ \textit{M}\left(\textit{f}_{\mathcal{D}_{\mathrm{train}}};\left(\textit{q},\textit{D},\textit{Y}\right),\textit{K}\right) \mid \left(\textit{q},\textit{D},\textit{Y}\right) \in \mathcal{D}_{\mathsf{test}}\right\}\right) \leq \delta,$$

where  $\mathrm{Var}(\cdot)$  is the variance of the ranking performance of the IR model  $f_{\mathcal{D}_{\mathrm{train}}}$  on  $\mathcal{D}_{\mathrm{test}}$ , then the model f is considered  $\delta$ -robust in terms of performance variance for metric M.



We will address adversarial robustness in Section 3 and OOD robustness in Section 4!



#### References i

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- Y.-A. Liu, R. Zhang, J. Guo, M. de Rijke, Y. Fan, and X. Cheng. Robust neural information retrieval: An adversarial and out-of-distribution perspective. *arXiv preprint arXiv:2407.06992*, 2024.